

**Fig. 1**  
 (Prior Art)

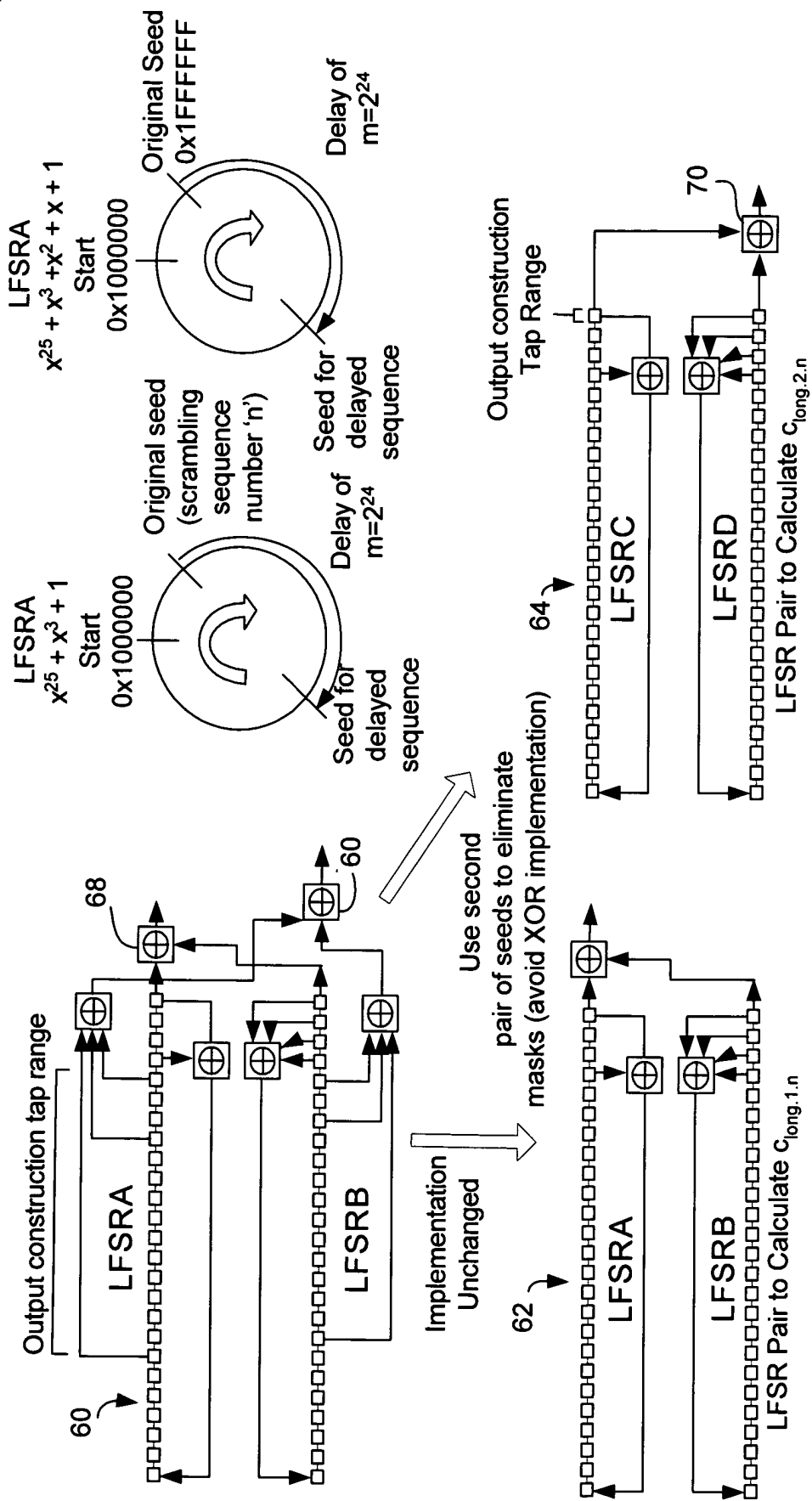


Fig. 2

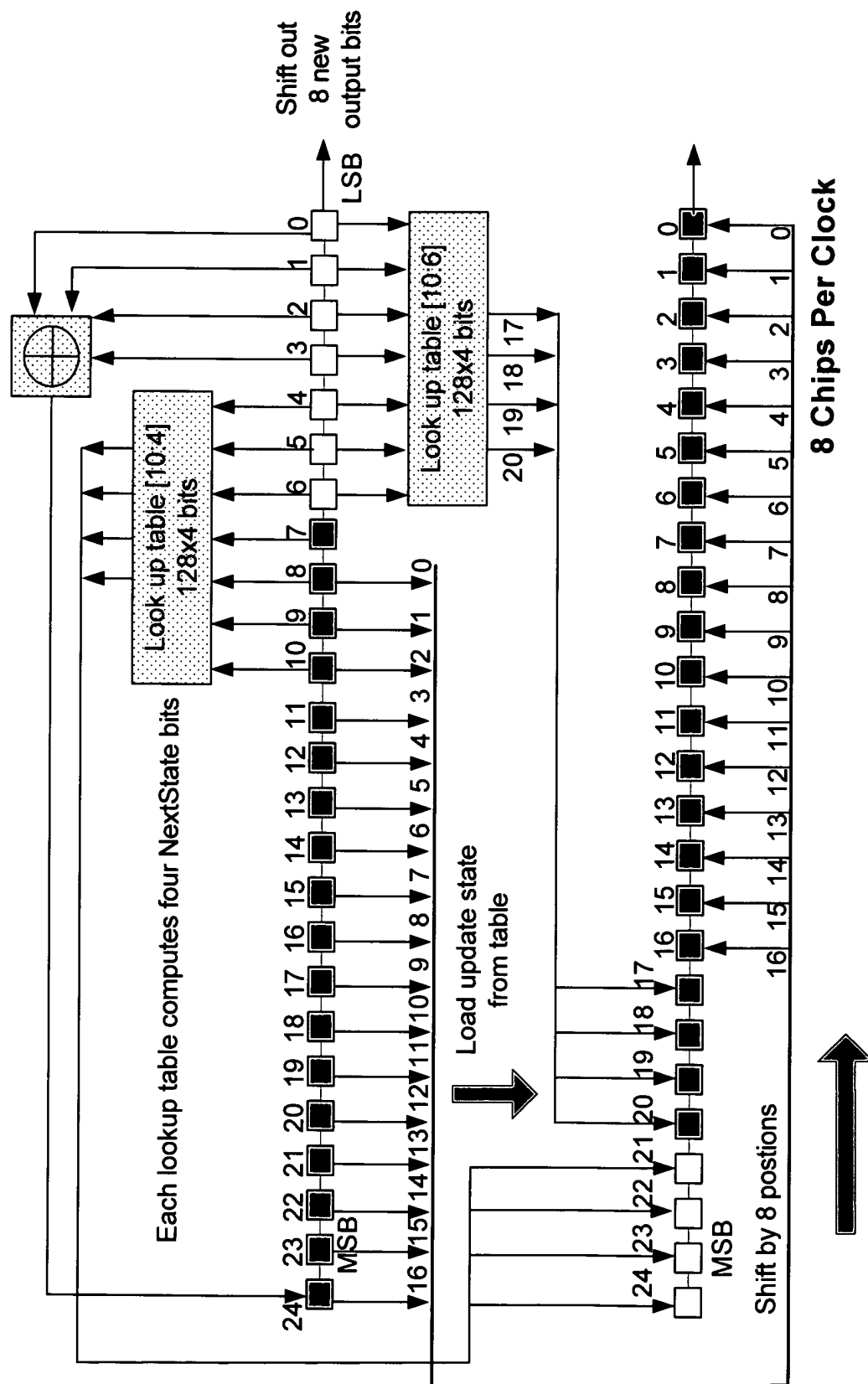
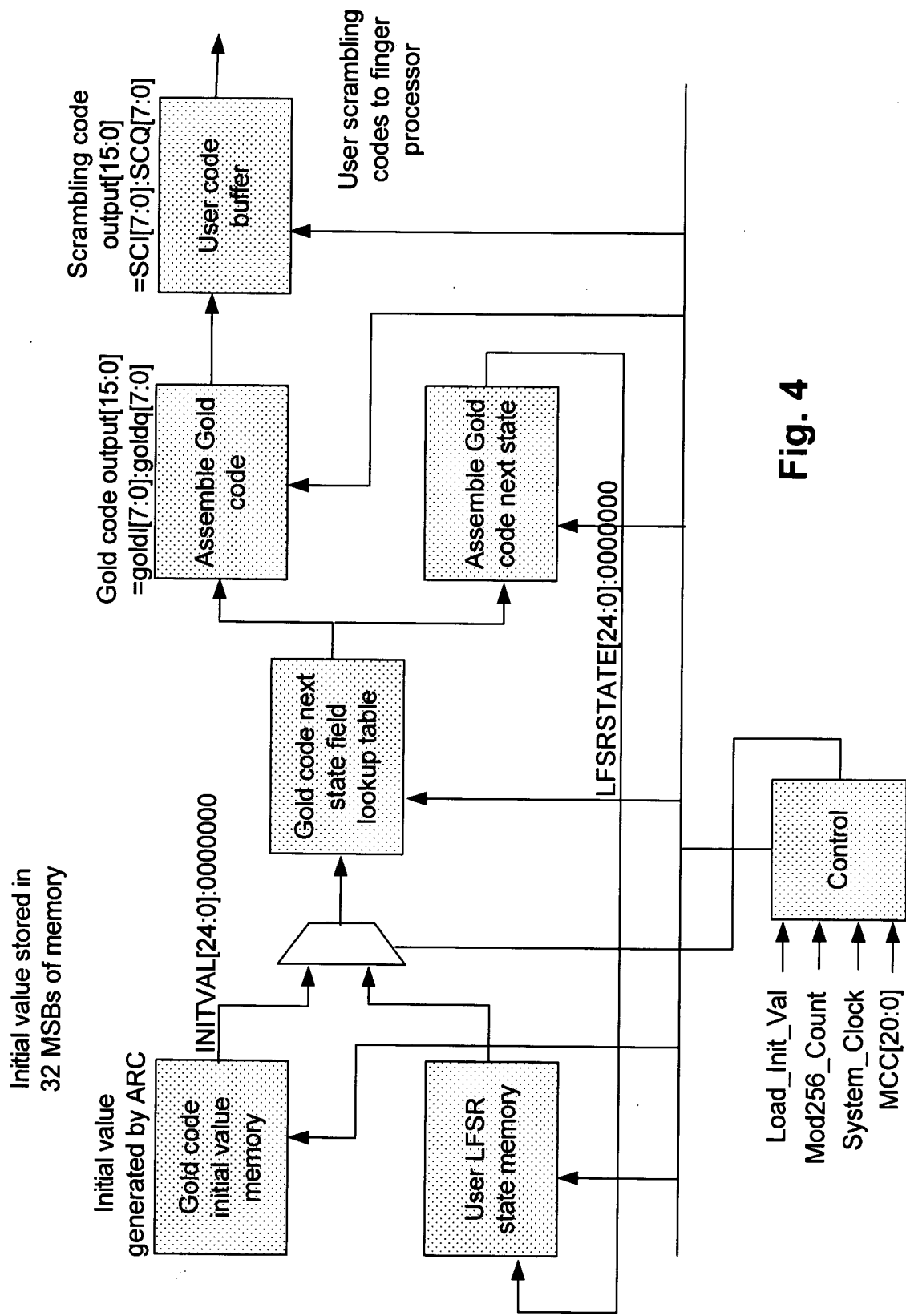
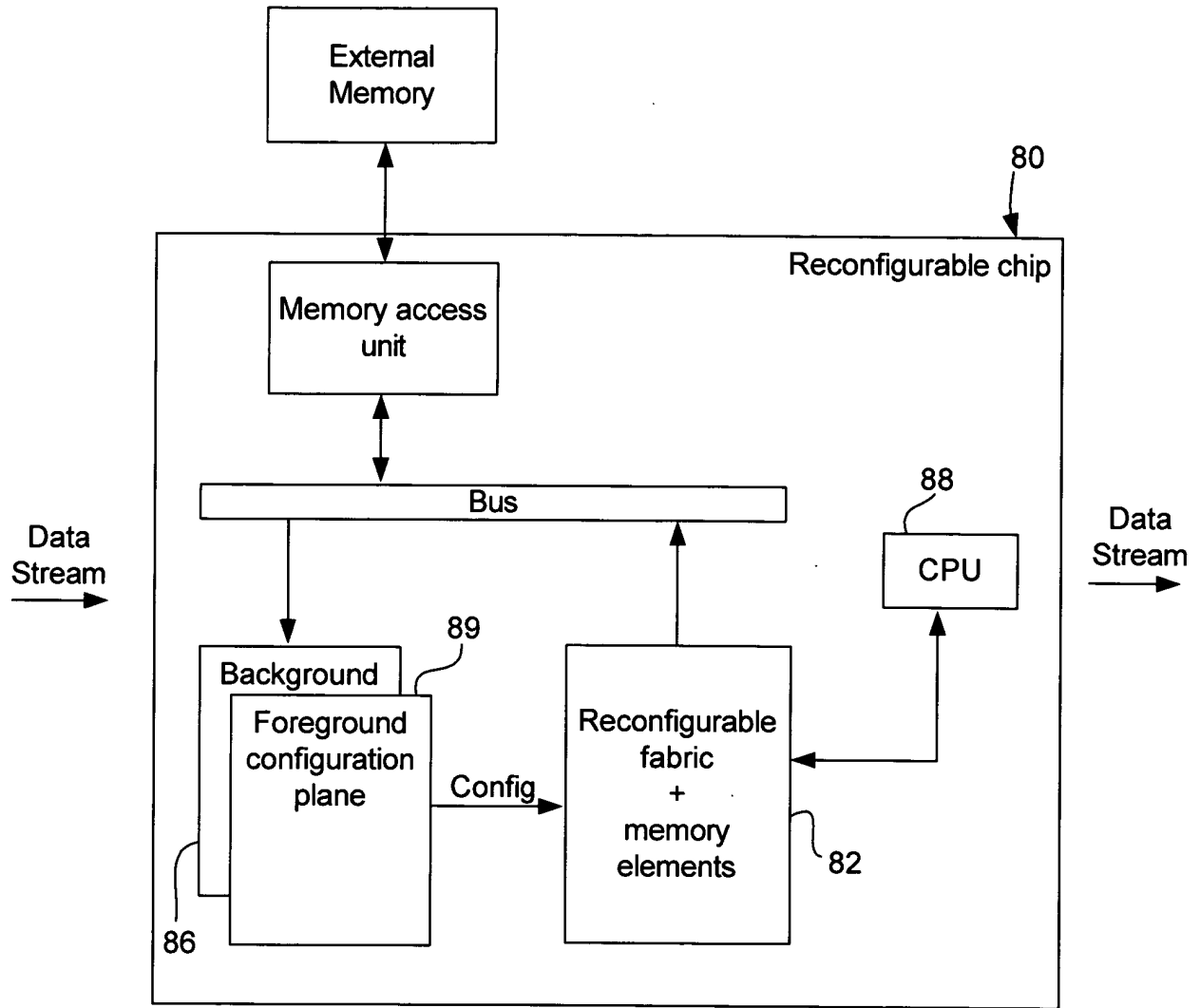
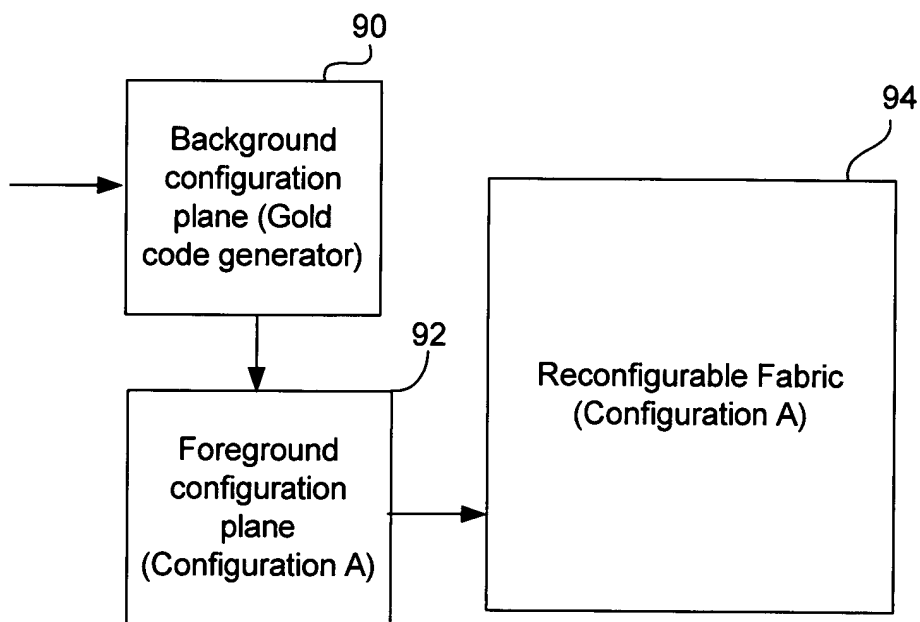


Fig. 3

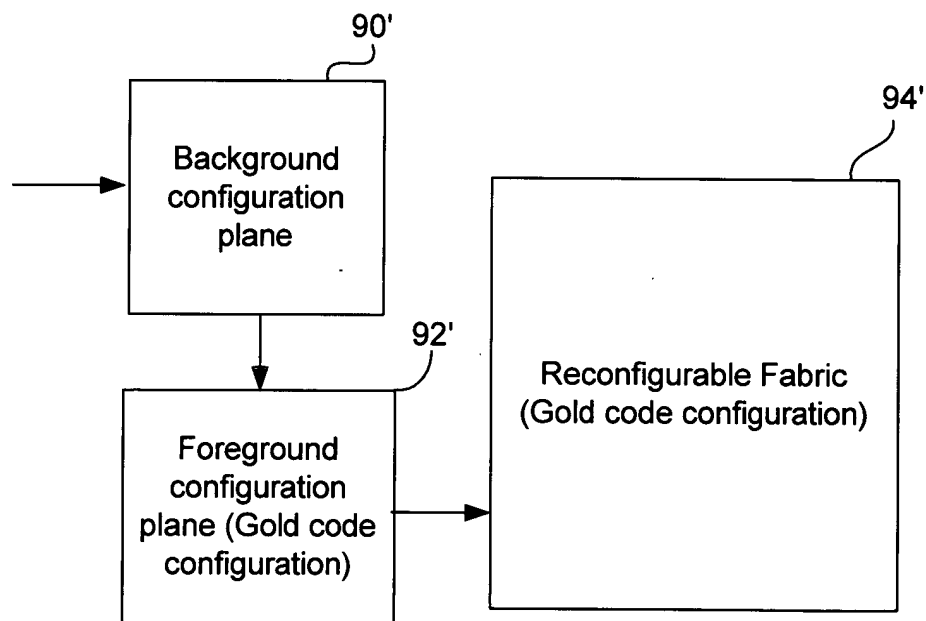




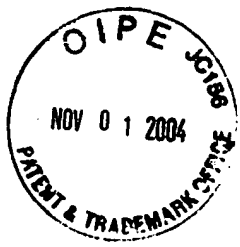
**Fig. 5**



**Fig. 6A**



**Fig. 6B**



$$C_{\text{long1},n} = \text{LFSRA}[7:0] \text{ XOR } \text{LFSRB}[7:0]$$

Let us define  $\text{LFSRC}'[i] = \text{LFSRC}[2[i/2]]$

$$C_{\text{long},n}(i) = C_{\text{long},n}(i)(1+j(-1)^i)(c_{\text{long2},n}(2[i/2])) \text{ (From 3G TS25.213)}$$

Multiplying bits by +1/-1 is the same as XOR for 0s and 1s.

XORing by 0xAA can be used in place of the  $(-1)^i$  term.

In binary representation, the Scrambling code  $C_{\text{long},n}$  becomes:

$$\begin{aligned} C_{\text{long},n}[7:0] &= C_{\text{long1},n}[7:0](1+j(0xAA) \text{ XOR } C'_{\text{long2},n}[7:0]) \\ C_{\text{long},n}[7:0] &= \text{LFSRA}[7:0] \text{ XOR } \text{LFSRB}[7:0] \\ &\quad + J(\text{LFSRA}[7:0] \text{ XOR } \text{LFSRB}[7:0] \text{ XOR } 0xAA \text{ XOR } \text{LFSRC}'[7:0] \text{ XOR } \\ &\quad \text{LFSRD}'[7:0]) \\ C_{\text{long},n}[7:0] &= \text{SCI}[7:0] = \text{Jscq}[7:0] \end{aligned}$$

Let us define  $\text{LFSRD}''[7:0] = 0xAA \text{ XOR } \text{LFSRD}'[7:0]$ , then:

$$\begin{aligned} C_{\text{long},n}[7:0] &= (\text{LFSRA}[7:0] \text{ XOR } \text{LFSRB}[7:0]) \\ &\quad + j(\text{LFSRA}[7:0] \text{ XOR } \text{LFSRB}[7:0] \text{ XOR } \text{LFSRC}'[7:0] \text{ XOR } \text{LFSRD}''[7:0]) \end{aligned}$$

We use a lookup table to compute  $\text{LFSRC}'[7:0]$  and  $\text{LFSRD}''[7:0]$

**Fig. 7**

Gold code generator lookup[6:0] definitions

<p>At address <math>4n+0</math>: <math>OUT[7:0] = \text{Next StateA}[3:0]:PASSA[3:0]</math></p> <p> <math>OUT[7] = IN[6] \text{ XOR } IN[3]</math>  <math>OUT[6] = IN[5] \text{ XOR } IN[2]</math>  <math>OUT[5] = IN[4] \text{ XOR } IN[1]</math>  <math>OUT[4] = IN[3] \text{ XOR } IN[0]</math>  <math>OUT[3] = IN[3]</math>  <math>OUT[2] = IN[2]</math>  <math>OUT[1] = IN[1]</math>  <math>OUT[0] = IN[0]</math> </p>	<p>At address <math>4n+2</math>: <math>OUT[7:0] = \text{Next StateC}[3:0]:LFSRC'[3:0]</math></p> <p> <math>OUT[7] = IN[6] \text{ XOR } IN[3]</math>  <math>OUT[6] = IN[5] \text{ XOR } IN[2]</math>  <math>OUT[5] = IN[4] \text{ XOR } IN[1]</math>  <math>OUT[4] = IN[3] \text{ XOR } IN[0]</math>  <math>OUT[3] = IN[3]</math>  <math>OUT[2] = IN[2]</math>  <math>OUT[1] = IN[1]</math>  <math>OUT[0] = IN[0]</math> </p>
<p>At address <math>4n+1</math>: <math>OUT[7:0] = \text{Next StateB}[3:0]:PASSA[3:0]</math></p> <p> <math>OUT[7] = IN[6] \text{ XOR } IN[5] \text{ XOR } IN[4] \text{ XOR } IN[3]</math>  <math>OUT[6] = IN[5] \text{ XOR } IN[4] \text{ XOR } IN[3] \text{ XOR } IN[2]</math>  <math>OUT[5] = IN[4] \text{ XOR } IN[3] \text{ XOR } IN[2] \text{ XOR } IN[1]</math>  <math>OUT[4] = IN[3] \text{ XOR } IN[2] \text{ XOR } IN[1] \text{ XOR } IN[0]</math>  <math>OUT[3] = IN[3]</math>  <math>OUT[2] = IN[2]</math>  <math>OUT[1] = IN[1]</math>  <math>OUT[0] = IN[0]</math> </p>	<p>At address <math>4n+3</math>: <math>OUT[7:0] = \text{Next StateD}[3:0]:LFSRD''[3:0]</math></p> <p> <math>OUT[7] = IN[6] \text{ XOR } IN[5] \text{ XOR } IN[4] \text{ XOR } IN[3]</math>  <math>OUT[6] = IN[5] \text{ XOR } IN[4] \text{ XOR } IN[3] \text{ XOR } IN[2]</math>  <math>OUT[5] = IN[4] \text{ XOR } IN[3] \text{ XOR } IN[2] \text{ XOR } IN[1]</math>  <math>OUT[4] = IN[3] \text{ XOR } IN[2] \text{ XOR } IN[1] \text{ XOR } IN[0]</math>  <math>OUT[3] = /IN[2]</math>  <math>OUT[2] = IN[2]</math>  <math>OUT[1] = /IN[0]</math>  <math>OUT[0] = IN[0]</math> </p>

Fig. 8A





Gold code generator lookup[10:4] definitions

<p>At address <math>4n+0</math>: <math>OUT[7:0] = IN[7:4]</math> Next StateA[7:4]</p> <p> <math>OUT[7] = IN[3]</math>  <math>OUT[6] = IN[2]</math>  <math>OUT[5] = IN[1]</math>  <math>OUT[4] = IN[0]</math>  <math>OUT[3] = IN[6] \text{ XOR } IN[3]</math>  <math>OUT[2] = IN[5] \text{ XOR } IN[2]</math>  <math>OUT[1] = IN[4] \text{ XOR } IN[1]</math>  <math>OUT[0] = IN[3] \text{ XOR } IN[0]</math> </p>	<p>At address <math>4n+0</math>: <math>OUT[7:0] = IN[7:4]</math> Next StateA[7:4]</p> <p> <math>OUT[3] = IN[2]</math>  <math>OUT[2] = IN[2]</math>  <math>OUT[1] = IN[0]</math>  <math>OUT[0] = IN[0]</math>  <math>OUT[7] = IN[6] \text{ XOR } IN[3]</math>  <math>OUT[6] = IN[5] \text{ XOR } IN[2]</math>  <math>OUT[5] = IN[4] \text{ XOR } IN[1]</math>  <math>OUT[4] = IN[3] \text{ XOR } IN[0]</math> </p>
<p>At address <math>4n+1</math>: <math>OUT[7:0] = IN[7:4]</math> Next StateB[7:4]</p> <p> <math>OUT[7] = IN[6]</math>  <math>OUT[6] = IN[5]</math>  <math>OUT[5] = IN[4]</math>  <math>OUT[4] = IN[3]</math>  <math>OUT[3] = IN[3] \text{ XOR } IN[5] \text{ XOR } IN[4] \text{ XOR } IN[3]</math>  <math>OUT[2] = IN[2] \text{ XOR } IN[4] \text{ XOR } IN[3] \text{ XOR } IN[2]</math>  <math>OUT[1] = IN[1] \text{ XOR } IN[3] \text{ XOR } IN[2] \text{ XOR } IN[1]</math>  <math>OUT[0] = IN[0] \text{ XOR } IN[2] \text{ XOR } IN[1] \text{ XOR } IN[0]</math> </p>	<p>At address <math>4n+1</math>: <math>OUT[7:0] = IN[7:4]</math> Next StateB[7:4]</p> <p> <math>OUT[3] = IN[2]</math>  <math>OUT[2] = IN[2]</math>  <math>OUT[1] = IN[0]</math>  <math>OUT[0] = IN[0]</math>  <math>OUT[7] = IN[6] \text{ XOR } IN[5] \text{ XOR } IN[4] \text{ XOR } IN[3]</math>  <math>OUT[6] = IN[5] \text{ XOR } IN[4] \text{ XOR } IN[3] \text{ XOR } IN[2]</math>  <math>OUT[5] = IN[4] \text{ XOR } IN[3] \text{ XOR } IN[2] \text{ XOR } IN[1]</math>  <math>OUT[4] = IN[3] \text{ XOR } IN[2] \text{ XOR } IN[1] \text{ XOR } IN[0]</math> </p>

Fig. 8B